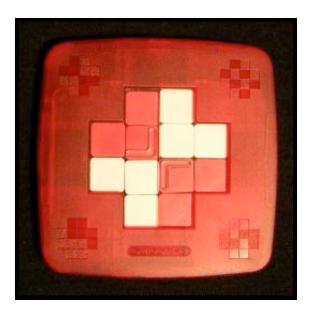
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# Jaap's Puzzle Page

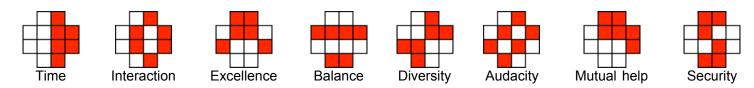
## **Swissmad**



Swissmad is a puzzle with 12 square tiles arranged the shape of a cross. The tiles are contained in a flat frame which has transparent front and back plates, so that both sides of the tiles are visible. The cross has a 2 by 2 square in the centre and arms 2 tiles wide and one tile long. The two columns of the vertical arms can slide up or down one tile, independently of each other, by pushing the two parts of the transparent front plate of the puzzle up or down. Similarly, the two rows of the horizontal arms of the cross can individually slide left or right by pushing the transparent back plate sections left or right.

Each tile is red or white on the front and red or white on the back. This gives four possible tile types, and there are exactly three of each type of tile. In the standard solved position the back of the cross is half white and half red, while the front of the cross is in guarters of alternating colour.

Embossed on the frame are eight patterns that you can try to make. I reproduce them below with the names they have been given in the leaflet.



The leaflet quite amusingly tries to justify the names of these patterns. The leaflet itself is also in the shape of a cross, normally with the arms folded over to make it square. The arms of this leaflet show the patterns 'Time', 'Excellence', 'Balance' and 'Diversity', so by changing the order in which you fold these arms, you can have any of these patterns on the front. By some clever folding, you can however also get it to show the 'Mutual help' pattern instead.

Swissmad was invented by Olivier Pahud, and patented on 16 June 2005, WO 2005/053809.

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If your browser supports JavaScript, then you can play with Swissmad by clicking the link below:

### **JavaScript Swissmad**

#### The number of positions:

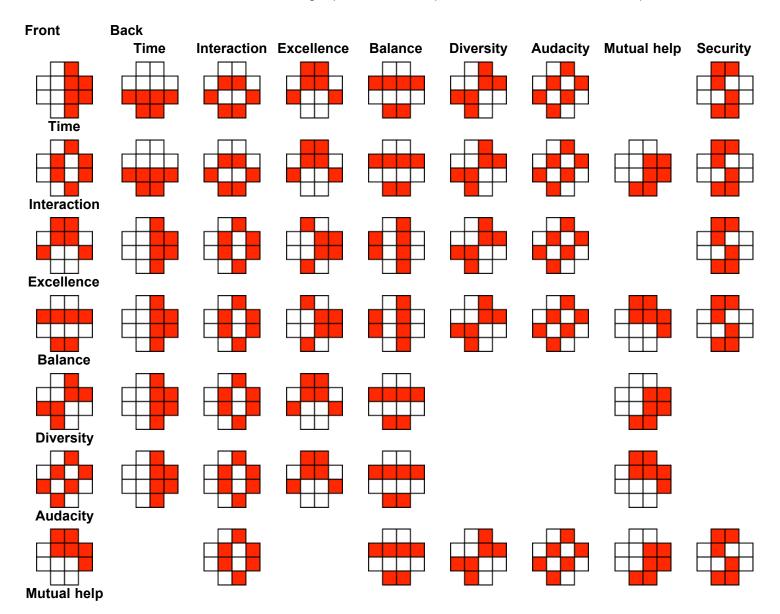
The packaging states "Two faces, two colours, one million combinations". As you will see, this is not quite accurate. Lets assume the rows and columns are centred. There are 12 pieces, in four sets of identical triplets. These can be arranged in  $12!/3!^4 = 369,600$  positions. If you don't assume the rows and columns are centred, then this number must be multiplied by  $3^4$  because each row/column has 3 states. Then there are  $12!/2^4 = 29,937,600$  positions.

#### Links to other useful pages:

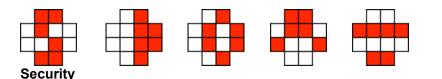
Swissmad homepage

#### Solution:

The table shows which combinations of the eight patterns can be put on the front and back of the puzzle.

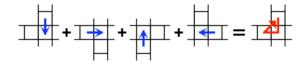


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There is a very simple sequence of four moves that cycles three pieces around. Slide a column down, a row to the right, the column back up, and finally the row back to the left. The three pieces that are moved are the tile at the intersection of the row and column, as well as the tile above and the tile to the left.



Any three adjacent tiles that do not lie in a straight line but in a kind of L formation, any such three tiles can be cycled around. Simply shift the row and column alternately to push the two outside tiles towards the middle one, and then move the row and column back. Using this sequence it is quite easy to solve any position.

To solve a position, the best general strategy is to first solve the arms of the cross one by one. With the move sequence you can move any tile from an arm into the central area, then move it around the central area to the side you want, and finally move it out into an arm of the cross. Once all the arms are correct it is usually an easy matter to solve the central area. Always remember to check both sides of the tile are correct for the spot you are moving it to.

One minor complication that can arise with this method is that you may end up needing to swap two pieces without moving anything else. This usually happens when all the arms have been solved, and the central area contains all four types of tiles. In this case replace any tile on an arm by the identical one from the central area. After this, the puzzle can be solved easily.

When solving the standard pattern (time/diversity), I usually do things differently. I solve the 'time' side first, putting all the reds in one half, all the whites in the other. When doing this I don't need to worry about the other side of the puzzle. Then I turn it over and separate each of those halves again, into red and white quarters. By never letting any tile from the other half enter the half you are solving, the 'time' pattern on the back will not be disturbed. The advantage of this method is that you don't need to keep track of the reverse colours of the tiles at all.

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