# LING 130: <br> Sample Quiz 2 

James Pustejovsky

April 29, 2010

## 1. Anaphora and Discourse Representation Theory

Give the full DRS for the discourse below.
(1) Fred went to the pond. He saw a fish eating the worm he used.

Answer: Consider the first sentence. Assume that the contextually salient pond can be referenced by the discourse reference $p$. The variable introducing the pond in the expression itself is $u$, while Fred is represented as $f$. So, we have:

| $f, p, u$ |
| :---: |
| Fred' $^{\prime}(\mathrm{f})$ |
| go_to'(f,u) $^{\text {Pond'(u) }}$ |
| $\mathrm{u}=\mathrm{p}$ |

Now consider the subsequent sentence in the discourse. We need to bind the pronoun he to Fred; then, we introduce a fish, along with a contextually salient worm. This results in the complete DRS shown below.

| $f, p, u, x, y, v, q, z, w$ |
| :---: |
| Fred $^{\prime}(\mathrm{f})$ |
| go_to $^{\prime}(f, u)$ |
| $\operatorname{Pond}^{\prime}(u)$ |
| $u=p$ |
| $\operatorname{seg}^{\prime}(x, y)$ |
| $\mathrm{x}=\mathrm{f}$ |
| $\operatorname{Fish}^{\prime}(\mathrm{y})$ |
| $\operatorname{eat}^{\prime}(\mathrm{y}, \mathrm{v})$ |
| $\operatorname{Worm}^{\prime}(\mathrm{v})$ |
| $\mathrm{v}=\mathrm{w}$ |
| $\mathrm{use}^{\prime}(\mathrm{q}, \mathrm{z})$ |
| $\mathrm{q}=\mathrm{x}$ |
| $\mathrm{z}=\mathrm{w}$ |

## 2. Temporal Logic

Give the temporal logical forms for the following English sentences, using the operators P, F, G, and H. Remember that P and F are existential operators, stating that there is a specific time before $(\mathrm{P})$ and after $(\mathrm{F})$ the present, at which the proposition is evaluated.
(2) a. Every student took a linguistics class.

Answer: $\forall x\left[\operatorname{student}(x) \rightarrow \mathrm{P} \exists y\left[\operatorname{ling} \_\operatorname{class}(y) \wedge \operatorname{take}(x, y)\right]\right]$
This means that there were possibly different times in the past for each student and class.
b. There was a linguistics class that every student took at the same time.

Answer: P $\exists y[\operatorname{ling}$ _class $(y) \wedge \forall x[\operatorname{student}(x) \rightarrow \operatorname{take}(x, y)]]$
This means that there is one past time at which all students took the same class.

## 3. Event Theory

Give the correct event classification for each predicative expression below. Justify your answer.
(3) a. swim:

Answer: activity/process. Goes with durative adverbials (Mary swam for an hour); does not have a natural culmination, and passes the subinterval test (Mary is swimming $\rightarrow$ Mary has swum).
b. sing the National Anthem:

Answer: accomplishment. Goes with frame adverbials (Mary sang the N.A. in 30 seconds); has a natural culmination (Mary finished singing the N.A.), and does not pass subinterval test (Mary is singing the N.A. $\nrightarrow$ Mary has sung the N.A.)
c. die:

Answer: achievement. Goes with point adverbials (Mary died at noon); doesn't go with duratives (*Mary died for 20 minutes); does not pass subinterval test (Mary is dying $\rightarrow$ Mary has died)

## 4. Tense and Events in DRT

a. Give the DRS with events and times for the following sentence:
(4) Fred has left the classroom.

## Answer:

| $f, c, u, e, t, n, r$ |
| :---: |
| Fred' $^{\prime}(\mathrm{f})$ |
| leave' $^{\prime}(\mathrm{e}, \mathrm{f}, \mathrm{u})$ |
| Classroom' $^{\prime}(\mathrm{u})$ |
| $\mathrm{u}=\mathrm{c}$ |
| $\mathrm{t}<\mathrm{n}$ |
| $\mathrm{e} \subseteq \mathrm{t}$ |
| $\mathrm{r}=\mathrm{n}$ |

b. Give a full DRS with tense and event variables for the following discourse.
(5) Max had left Boston before Sophie went to the airport.

Answer: Here's how things work: each predicate introduces an event variable; Max, Boston, and Sophie each introduce a discourse referent; the airport is contextually salient, so there's the prior referent, $a$, and the one introduced in the sentence, $u$. There is a speech time, $n$, an event time, $t$, a reference time, $r$, and the ordering constraints between them. Here is the complete DRS:

$$
\begin{gathered}
\hline m, b, s, a, e_{1}, e_{2}, n, r, t, u \\
\operatorname{Max}^{\prime}(\mathrm{m}) \\
\operatorname{Sophie}^{\prime}(\mathrm{s}) \\
\operatorname{Boston}^{\prime}(\mathrm{b}) \\
\operatorname{leave}^{\prime}\left(\mathrm{e}_{1}, \mathrm{~m}, \mathrm{~b}\right) \\
\text { go_-oto }^{\prime}\left(\mathrm{e}_{2}, \mathrm{~s}, \mathrm{u}\right) \\
\operatorname{Airportr}^{\prime}(\mathrm{u}) \\
\mathrm{u}=\mathrm{a} \\
\mathrm{t}<\mathrm{n} \\
\mathrm{e}_{1} \subseteq \mathrm{t} \\
\mathrm{t}<\mathrm{r} \\
\mathrm{r}<\mathrm{n} \\
\mathrm{e}_{2} \subseteq \mathrm{r}
\end{gathered}
$$

