

# Jaap's Puzzle Page

## Ufo / King Ring / Sando Ring



There are several puzzles called Ufo, but this one is made by Netblock. It consists of a disc which is split into two layers which can rotate about the central axis. Spaced evenly along the rim of the disc are 3 spheres of different colours. These are split into octants, so that when the layers of the disc are turned, one half of each sphere (4 pieces) travels with each layer. The spheres can also rotate in two halves about an axis along the disc edge. Although this puzzle is hard to describe, it is fairly easy to solve.

An earlier version is called King Ring, or Sando Ring. This is much larger, uses bright colours, and has four spheres. It looks very much like a toddler's toy.

The Ufo was patented on 13 May 1997 by Wai K. Chan, [US 5,628,512](#). The King Ring was patented on 21 March 1996 by Zoltan Pataki, Istvan Varadi, and Attila Kovacs, [WO 96/08297](#).

### Links to other useful pages:



[Uwe Mèffert](#) retails this puzzle, which is manufactured by Netblock.

### The number of positions:

**Ufo:** There are 24 pieces, 8 of each colour. They can therefore be arranged in at most  $24!/8!^3=9,465,511,770$  ways. This limit is not reached because:

- The pieces in the left halves and the right halves of the balls never intermingle.
- The orientation of the puzzle itself is unimportant.

The first restriction means that there are at most  $12!^2 / 4!^6 = 1,200,622,500$  possible positions. The second restriction means that the real number of positions is about 1/6th of that number because the puzzle can be held in 6 different ways (due to the three-fold symmetry around the centre, and because it can be turned over). As some positions are themselves symmetric, the exact number can best be calculated with [Burnside's Lemma](#), and this gives 200,121,075 positions.

**Kin Ring:** There are 32 pieces, 8 of each colour. Using the same reasoning as above, we get  $16!^2 / 4!^8 = 3,976,941,969,000,000$  positions. The real number of positions is about 1/8 of this, and the exact number given by the Burnside Lemma is 497,117,746,919,592.

### Terminology:

Hold the puzzle so that one ball is at the front, nearest you, with the other balls further away on the left and right. The four nearest pieces of the front ball will be individually called the top-left, top-right, bottom-left and bottom-right piece. The other 4 pieces of the front ball won't be named separately. The outside pieces of the other balls will also be described in the same way, for example the "top-right piece of the left ball" etc.

### Solution:

**Phase 1:** Solve the front ball.

In this phase the front ball will be solved. I will assume you will make it red, though you could of course solve a different colour first.

- a. Find any red piece in one of the other balls.
- b. Turn it so that it lies in the bottom front of its ball.
- c. Rotate the bottom disc layer to bring the piece to the front ball, at either the bottom left or the bottom right.
- d. Turn the piece up so that it lies at the top left or top right.
- e. Turn the bottom disc layer back to its original position. This is not necessary when you are solving the first ball, only when solving later balls.
- f. Repeat steps a-e three more times, so that the top half of the front ball is completely red. You may have to be a little selective in your choice of pieces, since you want to do the steps twice for the left half and twice for the right half of the ball.
- g. Turn over the puzzle, so that the solved red pieces are at the bottom of the front ball.
- h. Repeat steps a-e, so that the top half of the front ball also becomes red.

**Phase 2:** Solve the remaining balls.

- a. Hold one of the unsolved balls in front.
- b. Choose one of the remaining colours, and apply phase 1 with that colour.
- c. Repeat a-b until all the balls are solved.

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